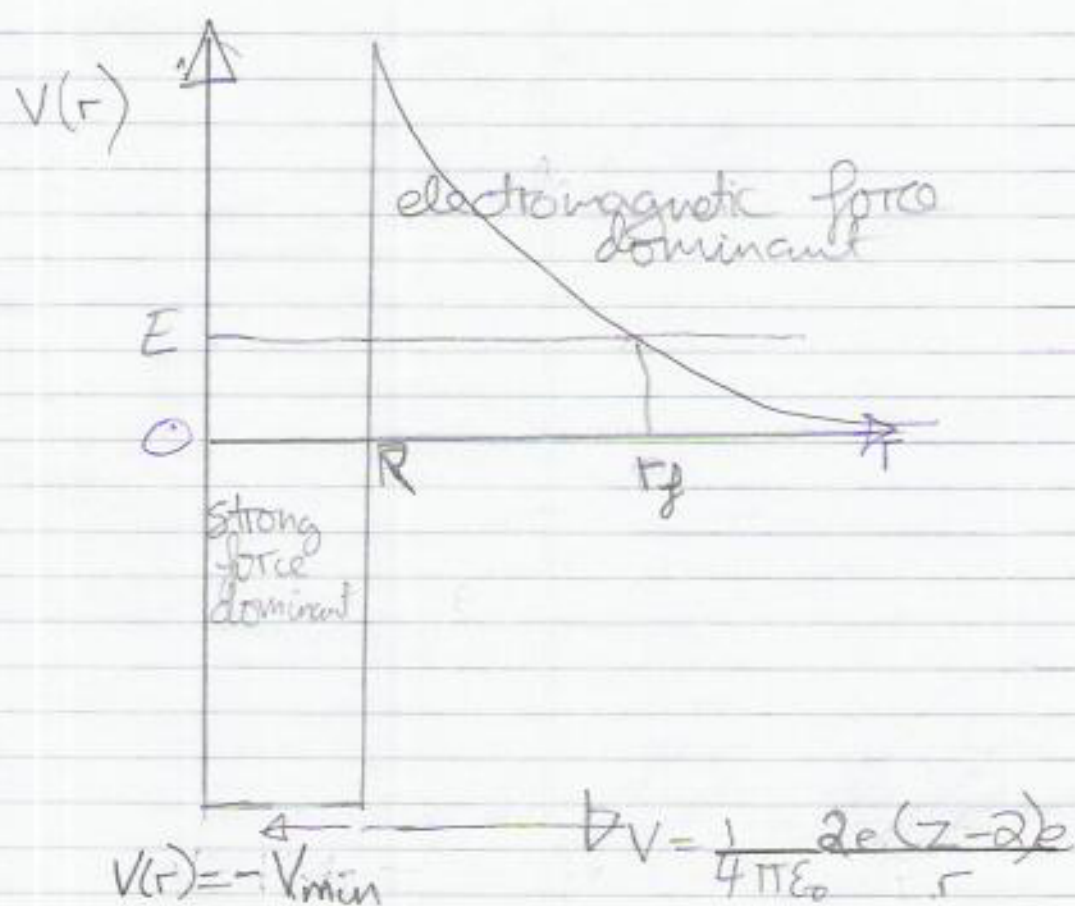


(9)



This could have been expressed in rather few words

We suppose that inside the nucleus the α -particle has kinetic energy $E + V$. The problem becomes one of barrier penetration, a problem which occurs like this. Each particle is described by a wavefunction or probability amplitude ψ . The magnitude of ψ^2 , $|\psi|^2$ represents the probability density of the particle (how likely it is to be in a particular region of space). It turns out that if we trap a particle in a potential as above, with insufficient kinetic energy to escape the well, then if the energy of the particle inside the well is greater than the potential energy outside, there is a non zero possibility of finding the particle outside the well. We can estimate this probability by solving FT. Eq. 9.21, which we write here as

$$\frac{|\psi(r)|^2}{|\psi(R)|^2} = T \approx \exp\left(-2 \int_R^{\infty} \sqrt{2m(V(r)-E)} dr\right)$$