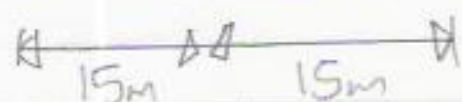


$$= \frac{1E-7s}{\sqrt{1-0.50^2}} = 1.154E-7s \quad \times$$

Check: Moving clocks run slow, as do moving processes, so Dan will measure a moving event or process to take longer to occur than an observer in that moving reference frame.

c). They don't agree on the simultaneity of the light arriving at A and B. These events have different space time coordinates.



See over page!

In the time it takes the light to travel from Cheryl to mirror A, the train has moved a distance vt_A ; the light therefore only has to travel $15m + vt_A$.

$$\begin{aligned} ct_A &= 15m + vt_A \\ t_A(c-v) &= 15m \\ t_A &= \frac{15m}{c-v} \end{aligned}$$

According to the 1st part of the question the time to reach A & B is the same for Cheryl.

In the time it takes the light to travel from Cheryl to mirror B, the train has moved a distance vt_B to the right. The light therefore has to travel a distance $15m - vt_B$.

$$\begin{aligned} ct_B &= 15m - vt_B \\ t_B(c+v) &= 15m \\ t_B &= \frac{15m}{c+v} \end{aligned}$$

|| ?