

Computer Marked Assignment

Make sure you know how to use the CMA form: detailed instructions are given in your student handbook (or supplement).

Covering: **Units 12-16**

You are strongly advised to attempt every question in this assignment.

If you do not wish to answer a question, pencil across the 'don't know' cell ('?').

If you think that a question is unsound in any way, pencil across the 'unsound' cell ('U') in addition to pencilling across either an answer cell or the 'don't know' cell.

Cut-off date:

Friday 4 October 1996

Note For each question, you must pencil across either the required number of answer cells or the 'don't know' cell.

PART A

The questions in this part relate to Unit 12.

Q1 [Special relativity] Choose the two statements in the key that are *wrong*, and pencil across two cells in row 1.

KEY for Q1

A In a vacuum, light signals travel with a fixed speed relative to all observers who use inertial frames of reference. ✓

B If an event E_1 causes another event E_2 then, according to any observer using an inertial frame of reference, it is *certain* that the distance between E_1 and E_2 will be *less* than, never equal to, the product of the speed of light c and the time that elapses between the two events. $x_2 - x_1 < c(t_2 - t_1)$ ✓

C For two observers in different inertial frames of reference the principle of relativity is correct at speeds approaching that of light *and* at comparatively low speeds. ✓

D In a vacuum, X-rays travel with a fixed speed relative to all observers who use inertial frames of reference. ✓

E The special theory of relativity correctly relates the coordinates of an event observed by an observer O who is standing in the frame of reference of the ground and the coordinates of the same event observed by a second observer who is stationary in the frame of reference of a rocket that, according to O, is accelerating upwards from the ground. ✗

F According to an observer at rest in Concorde, the length of the aircraft is constant, irrespective of its speed. (Assume that the observer is in an inertial frame of reference.) ✓

G If the speed of light was infinite, the Galilean and Lorentz transformations would be identical. ✗

Q2 [Length contraction] A rocket, which is travelling along the x -axis of an inertial frame P, moves along this x -axis with a constant speed $V = 3c/5$. It is measured by an observer in P to be 25 metres long. An observer on

the rocket measures its length to be d . Choose from the key the *one* response that is closest to the value of d , and pencil across *one* cell in row 2.

KEY for Q2

A 15 m

E 25 m

B 20 m

F 21 m

C 31 m

G 42 m

D 41 m

H 32 m

Q3 [Lorentz transformation] Two events E_1 and E_2 are observed by two observers O and O' who are stationary in their respective inertial frames. (The frames are in standard configuration and are not identical, i.e. $V \neq 0$). O observes that the two events are simultaneous and that they occur at different places on the x -axis separated by a distance s . Use the Lorentz transformation to choose from the key the *two* statements that are correct. Pencil across two cells in row 3.

KEY for Q3

A O' must observe the events to be simultaneous. ✗

B O' cannot observe the events to be simultaneous. ✓

C It is possible for O' to observe the two events at the same place. ✗

D O' must observe the two events to occur at separation s . ✗

E O' must observe the two events to occur at different places at a separation $s' \neq s$. ✓

Q4 [Relativistic energy] A particle of rest mass 1.2 kg is fixed at the origin of an inertial frame A. If another inertial frame B is travelling at speed 1000 m s^{-1} relative to frame A, what is the total relativistic energy of the particle according to an observer in frame B? Select the *one* response from the key that is closest to the correct answer, and pencil across *one* cell in row 4.

KEY for Q4

A $0.9 \times 10^{17} \text{ J}$

D $4.9 \times 10^{16} \text{ J}$

B $1.0 \times 10^{17} \text{ J}$

E $1.1 \times 10^{17} \text{ J}$

C $5.0 \times 10^{16} \text{ J}$

F $6.0 \times 10^{16} \text{ J}$



$$E = \frac{mc^2}{\sqrt{1-v^2/c^2}} = \frac{1.2 c^2}{\sqrt{1-(1000/c)^2}}$$